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220-25

Image processing applications in NDE

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Introduction

Non-destructive examination (NDE) can be defined as a technique or collection of techniques that permits one to determine some property of a material or object without damaging the object. There are a large number of such techniques and most of them use visual inspection in one form or another. They vary from holographic interferometry where displacements under stress are measured to the visual inspection of an object's surface to detect cracks after a penetrant has been applied. The use of image processing techniques on the images for NDE in NDE is relatively new and can be divided into three general categories.

1. Classical image enhancement.
2. Censuration techniques.
3. Quantitative Sensitometry.

Rather than present a series of disjointed examples of each of the techniques, I will instead take one "product" produced by the Los Alamos Scientific Laboratory and attempt to show how image processing techniques are used to non-destructively and destructively examine a product throughout its life cycle. I realize that I will stray outside the bounds of NDE. But I feel the understanding of how image processing can impact the manufacture and use of an object out weighs the liberties I will take. The "product" that will be followed is the microballoon target used in the laser fusion program. The laser target is a small (50-150pm) diameter glass sphere with typical wall thickness of about 10 μm. The sphere may be used as is or may be given a number of coats of my favorite materials.

Without going into the manufacturing process, suffice to say that the beads are manufactured by the millions and the first non-destructive test is to separate the obviously bad beads (broken or incomplete) from the good ones. After this has been done, the bead is examined to inspect for sphericity and wall thickness uniformity. This is accomplished by microradiography and visible light interferometry. The analysis of the microradiograph image is a perfect example of image processing of the quantitative sensitometry category.

The microradiography of the beads, uncoated bead is performed on a specially designed low-energy x-ray machine(1). The beads are mounted in a special jig and placed on a bed of high resolution plate in a vacuum chamber that contains the x-ray source. The x-ray tube is made with an energy less than 1 keV and the resulting images are then inspected at a magnification of 600 to 1000X. Figure 1 illustrates the typical results. Figure 1a is the image of a defective bead and Fig. 1b is that of a nominally good bead.

Fig. 1a Radograph of defective bead

Fig. 1b Radograph of good bead

220-25

From this image, accurate measurements must be made of:

1. eccentricity of the spherical surfaces,
2. nonsphericity of either of the walls, and
3. lumps and/or thin spots.

Whitman et al⁽²⁾ have developed techniques that produce quantitative estimates of these three parameters by scanning each radiographic image using a 2 μm x 2 μm aperture in a microdensitometer stepping 1 μm in a raster pattern.

The eccentricity is measured by calculating a number that represents the asymmetry of the radiographic image about some defined center. The asymmetry is empirically plotted against eccentricity using computer generated models. Using this technique, Whitman estimates that an eccentricity of 0.02 μm can be detected between the two surfaces of a 40 μm diam sphere. The accuracy of the method depends critically on the size and material of the bead, the energy of the x-ray beam and the wall thickness.

Detection of either nonsphericity or local inhomogeneities depends upon detecting variations in optical density from an average for that particular defect type. Nonsphericity typically is detected by taking three identical radiographs but at three angular orientations. The optical density at the center of each radiograph is measured and any significant difference is cause for rejection. The criteria used for rejection is the statistical T test. Detecting and rejecting local inhomogeneities is similar to detecting nonsphericity but the complete image area is scanned and compared to a norm. Again the statistical T test is used for rejection. The precision of the method allows local defect and nonsphericity (measured as a difference in x-ray path length) to be measured as low as .05 μm .

Radiography is also performed on the coated beads but at a much higher energy (100 keV). The purpose of this inspection is to measure the total thickness. This is accomplished by analyzing the microradiographs on a Model 177A dual stage analyzer. A step wedge of the same material as the coating is radiographed with the bead. The optical density in the center of the bead is compared with the optical density of the step wedge and the double wall coating thickness is calculated. The color slicing feature of the analyzer is also used to estimate the uniformity of the wall thickness.

Interferometry is the primary means of inspecting the glass beads for wall thickness, wall conformity, and wall sphericity prior to coating. The beads are individually analyzed for these three conditions under a microscope. Figure 2 illustrates a typical bead.

Fig. 2. Interferogram of bead.

As much for the nondestructive application of image processing. The last two methods listed above differ in more properly being generation techniques and for using the image of the x-ray source formed when the sphere is imbedded within a laser beam. Pendleton et al⁽³⁾ have pioneered the use of coded aperture masking for this application.

Basically the idea in coded aperture imaging is to form a large number of pinhole images of a luminous scene. The multitude of images is recorded on film and the original scene reconstructed using a microdensitometer to convert the optical density to digital form and then reconstructed using a balanced correlation method. The advantages of the coded aperture approach over a conventional pinhole is the increased signal-to-noise ratio at the same angular resolution. Figure 3 illustrates schematically the approach taken in this type of imaging. An additional advantage of using the coded aperture is the availability of the depth information that in principle is available to the experimenter. Reference 4 describes the process in much more detail.

FIG. 3. Schematic of CRA processing.

FIG. 4. Typical uniformly redundant array.

Figure 4 illustrates a typical uniformly redundant aperture (CRA) while Fig. 5 compares the image formed by a 25 μm pinhole and a CRA image of an Impacting bead. Not too favorably the two images compare. Initially, the CRA image received approximately 10⁻³ mJ-photons/ μm^2 in the brightest spot than the pinhole image.

FIG. 5. Pinhole Image CRA Image.

The Last Imaging Technique I will discuss is an adaptation of computerized tomography. Ellerbeck et al have developed an algorithm that reconstructs a cross section of the x-ray bright target using pinhole (or reconstructed coded aperture) data.

The computer code is based on the maximum entropy algorithm using four independent views of the source. With this small number of views, the problem is known to be indeterminant, i.e., there is an infinite number of possible source distributions that agree with the measured projection data. The maximum entropy algorithm selects as the best source distribution that one that is the most "probable" in the sense that it has the least information content (maximum entropy) of all the possible distributions.

220-25

The data is collected with four pinhole cameras arrayed at 90° intervals around the imploding sphere. The pinholes are $20 \mu\text{m}$ diam and are covered with $12 \mu\text{m}$ beryllium foil to block out all photons with an energy below 1 kV. The geometry was such as to give a magnification ratio of 9 and an object resolution of $11 \mu\text{m}$.

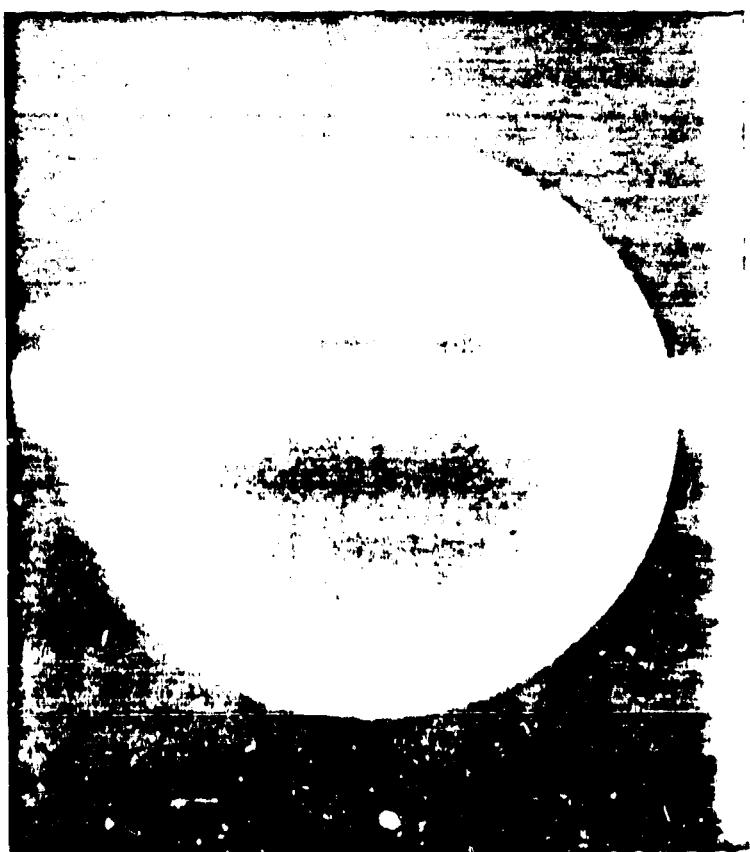
These examples illustrate how image processing techniques are applied to just one scientific program at the Los Alamos Scientific Laboratory. They are used not only during the manufacturing phase when nondestructive testing methods are applied but also during destructive testing of the beads. As image processing techniques become better known and developed, they are being applied more and more to generate more quantitative nondestructive testing results.

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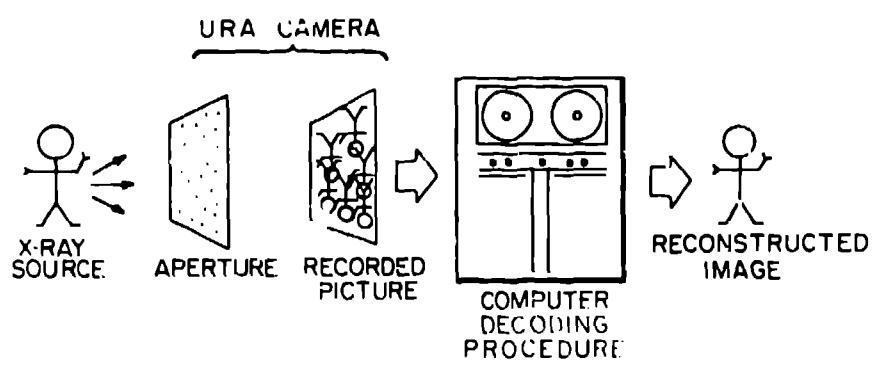


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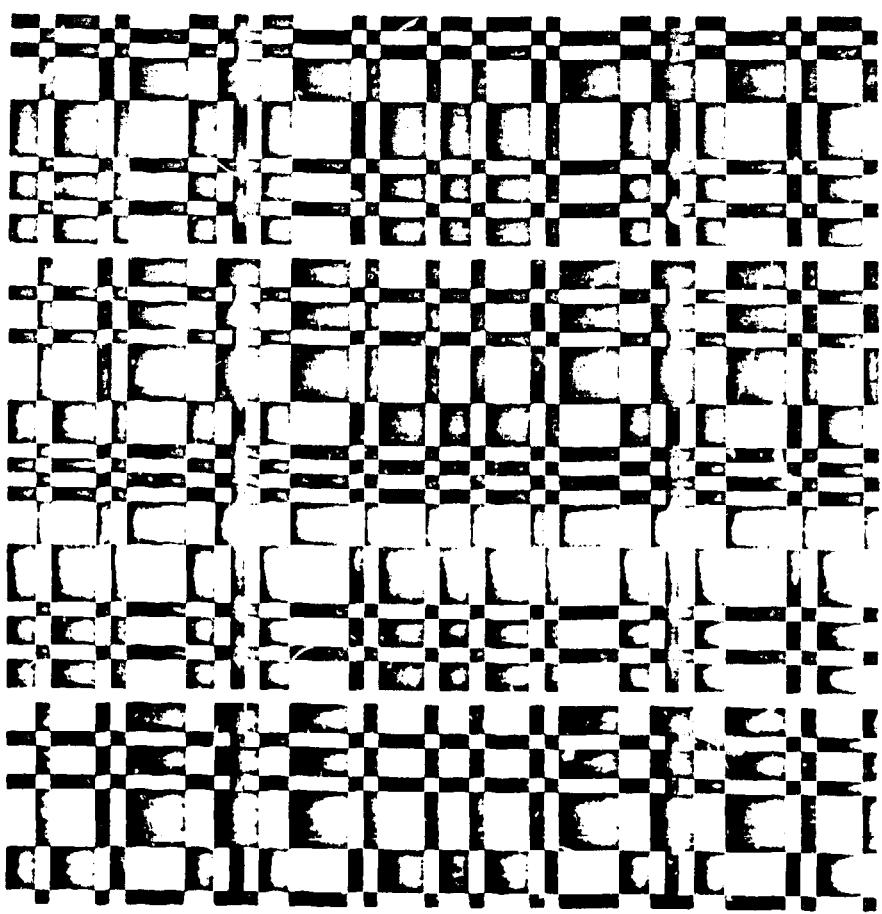


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